

# Multilevel RAID for Very Large Disk Arrays - VLDA

**Alexander Thomasian**

**[athomas@cs.njit.edu](mailto:athomas@cs.njit.edu)**

**Integrated Systems Laboratory**

**Computer Science Dept.**

**New Jersey Institute of Technology – NJIT**

**Newark, NJ 07102**

# Overview of Presentation

- **Storage nodes – SNs or bricks - under study at HP, IBM, ..., as a replacement for RAID.**
- **Multilevel RAID – MRAID for higher reliability than RAID, since tape backup not feasible for high data volume and very large capacity disks.**
- **The need for storage transactions in MRAID.**
- **Performance and reliability issues**

# Coding Inside Storage Nodes

- **d data, k check, and s spare disks:  $n = d + k + s$  ( $n=12$ ).**
- **Spare disk bandwidth wasted: use distributed sparing.**
- **SNs closed units - a failed disk cannot be replaced.**
- **Bricks constitutes smallest replaceable unit – SRU, i.e., SNs repaired by reconstructing contents on a spare SN.**
- **Starting with RAID6 (P+Q) use Q parities as spare areas to**  
**reconstruct a failed disk, converting to RAID5.**
- **Further conversion from RAID5 to RAID0 possible, use P parities as spare areas.**

# Organization of the VLDA

- Disk requests arrive at *CNs - communication nodes*.
- CNs forward requests to *DRNs - data router nodes*.
- Data partitioned into fragments assigned to DRNs.
- DRNs hold relationships among SNs.
- A DRN may in fact be a cluster of DRNs for load-sharing, scalability, and especially fault-tolerance.
  - Replication or erasure coding across SNs provides data protection for SNs as well as their disks.
  - Possible relationship among SNs held by DRNs.

# Internode Replication - $r=2$ way

- ***Basic mirroring – BM or data replication.***
- **Request routing to improve performance, e.g., D-SPTF.**
- **With BM when SN fails read load at mirroring SN doubled.**
- **Other mirroring methods to solve this problem.**
- **1<sup>st</sup> assume  $c$  clusters with  $M = N/c$  SNs per cluster.**
- ***Group rotate declustering.* Striped data on primary SNs is allocated in a rotated manner at secondary SNs.**
- ***Interleaved declustering.* Data at each SN allocated uniformly across  $M-1$  SNs in cluster**
- ***Chained declustering.* One half of the data at each SN is allocated as the secondary data of the next SN.**

# Multilevel Erasure Coding

- Partition  $N$  SNs into  $c$  clusters of  $M$  SNs each.
- Each SN a RAID5 (with parity  $P$ ).
- $l$  out of  $M$  SNs dedicated to parity ( $l = 1 \Rightarrow$  RAID4).
- Disadvantage 1: Check SN not used by read requests.
- Disadvantage 2: Bottleneck for write intensive workloads.
- A single disk failure or unreadable block at the check SN can be handled by reading corresponding blocks from remaining  $M-1$  SNs.

## *The approach used by us:*

- $Q$  parities not used to protect  $P$  parities. Space which becomes available at check SN allocated to  $P$  parities to protect local  $Q$  parities.
- I.e,  $P$  parities protect  $Q$  parities, but not vice-versa.
- Allocating  $Q$  parities across  $M$  SNs results in RAID5/5.

# Example 1: RAID5(4)/RAID5(4)

One disk per SN dedicated to P and another to Q parities.

Node 1				Node 2				Node 3				Node 4			
$d_{1,1}^1$	$d_{1,2}^1$	$p_{1,3}^1$	$q_{1,4}^1$	$d_{1,1}^2$	$p_{1,2}^2$	$q_{1,3}^2$	$d_{1,4}^2$	$p_{1,1}^3$	$q_{1,2}^3$	$d_{1,3}^3$	$d_{1,4}^3$	$q_{1,1}^4$	$d_{1,2}^4$	$d_{1,3}^4$	$p_{1,4}^4$
$d_{2,1}^1$	$p_{2,2}^1$	$q_{2,3}^1$	$d_{2,4}^1$	$p_{2,1}^2$	$q_{2,2}^2$	$d_{2,3}^2$	$d_{2,4}^2$	$q_{2,1}^3$	$d_{2,2}^3$	$d_{2,3}^3$	$p_{2,4}^3$	$d_{2,1}^4$	$d_{2,2}^4$	$p_{2,3}^4$	$q_{2,4}^4$
$p_{3,1}^1$	$q_{3,2}^1$	$d_{3,3}^1$	$d_{3,4}^1$	$q_{3,1}^2$	$d_{3,2}^2$	$d_{3,3}^2$	$p_{3,4}^2$	$d_{3,1}^3$	$d_{3,2}^3$	$p_{3,3}^3$	$q_{3,4}^3$	$d_{3,1}^4$	$p_{3,2}^4$	$q_{3,3}^4$	$q_{3,4}^4$
$q_{4,1}^1$	$d_{4,2}^1$	$d_{4,3}^1$	$p_{4,4}^1$	$d_{4,1}^2$	$d_{4,2}^2$	$p_{4,3}^2$	$q_{4,4}^2$	$d_{4,1}^3$	$p_{4,2}^3$	$q_{4,3}^3$	$d_{4,4}^3$	$p_{4,1}^4$	$q_{4,2}^4$	$d_{4,3}^4$	$d_{4,4}^4$

$d$  data,  $(p;q)$  parity blocks, superscript disk number.

To update  $d_{4,1}^2$ :

$$d_{4,1}^{2diff} = d_{4,1}^{2new} \oplus d_{4,1}^{2old}.$$

$$p_{4,3}^{2new} = p_{4,3}^{2old} \oplus d_{4,1}^{2diff}.$$

$$q_{4,1}^{1new} = q_{4,1}^{1old} \oplus d_{4,1}^{2diff}.$$

$$q_{4,1}^{1diff} = q_{4,1}^{1new} \oplus q_{4,1}^{1old}.$$

$$p_{4,4}^{1new} = p_{4,4}^{1old} \oplus q_{4,1}^{2diff}.$$

Failure of SN<sub>1</sub>: Reconstructing first row.

$$d_{1,1}^1 = d_{1,1}^2 \oplus q_{4,1}^4.$$

$$d_{1,2}^1 = q_{1,2}^3 \oplus d_{1,2}^4.$$

$$q_{1,4}^1 = d_{1,4}^2 \oplus d_{1,4}^3.$$

$$p_{1,3}^1 = d_{1,1}^1 \oplus d_{1,2}^1 \oplus q_{1,4}^1.$$

# Storage Transactions – 2PL and 2PC

Node 1				Node 2				Node 3				Node 4			
$d_{1,1}^1$	$d_{1,2}^1$	$p_{1,3}^1$	$q_{1,4}^1$	$d_{1,1}^2$	$p_{1,2}^2$	$q_{1,3}^2$	$d_{1,4}^2$	$p_{1,1}^3$	$q_{1,2}^3$	$d_{1,3}^3$	$d_{1,4}^3$	$q_{1,1}^4$	$d_{1,2}^4$	$d_{1,3}^4$	$p_{1,4}^4$
$d_{2,1}^1$	$p_{2,2}^1$	$q_{2,3}^1$	$d_{2,4}^1$	$p_{2,1}^2$	$q_{2,2}^2$	$d_{2,3}^2$	$d_{2,4}^2$	$q_{2,1}^3$	$d_{2,2}^3$	$d_{2,3}^3$	$p_{2,4}^3$	$d_{2,1}^4$	$d_{2,2}^4$	$p_{2,3}^4$	$q_{2,4}^4$
$p_{3,1}^1$	$q_{3,2}^1$	$d_{3,3}^1$	$d_{3,4}^1$	$q_{3,1}^2$	$d_{3,2}^2$	$d_{3,3}^2$	$p_{3,4}^2$	$d_{3,1}^3$	$d_{3,2}^3$	$p_{3,3}^3$	$q_{3,4}^3$	$d_{3,1}^4$	$p_{3,2}^4$	$q_{3,3}^4$	$q_{3,4}^4$
$q_{4,1}^1$	$d_{4,2}^1$	$d_{4,3}^1$	$p_{4,4}^1$	$d_{4,1}^2$	$d_{4,2}^2$	$p_{4,3}^2$	$q_{4,4}^2$	$d_{4,1}^3$	$p_{4,2}^3$	$q_{4,3}^3$	$d_{4,4}^3$	$p_{4,1}^4$	$q_{4,2}^4$	$d_{4,3}^4$	$d_{4,4}^4$

When  $d_{1,1}^1$  and  $d_{1,2}^1$  are updated at the same time.

$$p_{1,3}^{1new} = d_{1,1}^{1old} \oplus d_{1,1}^{1new} \oplus p_{1,3}^{1old}$$

$$p_{1,3}^{1new} = d_{1,2}^{1old} \oplus d_{1,2}^{1new} \oplus p_{1,3}^{1old}$$

While  $p_{1,3}^{1new}$  should reflect both updates:

$$p_{1,3}^{1new} = d_{1,1}^{1new} \oplus d_{1,2}^{1new}.$$

**Transaction (update  $d_{1,1}^{1new}$ ) = {**

1 – *Read*( $d_{1,1}^{1old}$ ),

2 – *Write*( $d_{1,1}^{1new}$ ),

3 –  $d_{1,1}^{1diff} = d_{1,1}^{1new} \oplus d_{1,1}^{1old}$ ,

4 – *Read*( $p_{1,3}^{1old}$ ), *Read*( $q_{1,1}^{4old}$ ),

5 –  $p_{1,3}^{1new} = d_{1,1}^{1diff} \oplus p_{1,3}^{1old}$ ,  $q_{1,1}^{4new} = d_{1,1}^{1diff} \oplus q_{1,1}^{4old}$ , *Write*( $p_{1,3}^{1new}$ ),

6 –  $q_{1,1}^{4diff} = q_{1,1}^{4new} \oplus q_{1,1}^{4old}$ , *Read*( $P_{1,4}^{4old}$ ),

7 –  $p_{1,4}^{4new} = p_{1,4}^{4old} \oplus q_{1,1}^{4diff}$ ,

8 – *Write*( $p_{1,4}^{4new}$ )}.



# Transactions in Presence of Failures

Assume that  $D_1$  at  $SN_1$  has failed

**Solution 1: (Amiri et al. 2000)**

**DRN notified of failure and issues new transaction, which is a fork-join request to reconstruct missing block.**

$$d_{1,1}^1 = d_{1,2}^1 \oplus p_{1,3}^1 \oplus q_{1,4}^1$$

**Solution 2: (Our solution).**

**The fork-join requests (subtraction) is generated locally at the SN.**

## Example 2: RAID6(5)/RAID5(5)

M = 5 SNs and each SN a RAID5 with n = 5 disks.

Across SNs RAID6 with l = 2 and Q and S parities.

Only the first row is shown for brevity.

$$(d_{1,1}^1, d_{1,2}^1, p_{1,3}^1, q_{1,4}^1, s_{1,5}^1),$$

$$(d_{1,1}^2, p_{1,2}^2, q_{1,3}^2, s_{1,4}^2, d_{1,5}^2),$$

$$(p_{1,1}^3, q_{1,2}^3, s_{1,3}^3, d_{1,4}^3, d_{1,5}^3),$$

$$(q_{1,1}^4, s_{1,2}^4, d_{1,3}^4, d_{1,4}^4, p_{1,5}^5),$$

$$(s_{1,1}^5, d_{1,2}^5, d_{1,3}^5, p_{1,4}^5, q_{1,5}^5),$$

## RAID6(5)/RAID5(5) (cont'd)

Assume that SN1 and SN2 have failed.

Reconstruct  $d_{1,1}^1$  and  $d_{1,1}^2$  using  $q_{1,1}^4$  and  $s_{1,1}^5$ .

$d_{1,2}^1$  can be reconstructed as  $d_{1,2}^1 \oplus d_{1,2}^5 = q_{1,2}^3$ ,

$s_{1,2}^4$  could also be used for this purpose.

We similarly note that  $d_{1,5}^2 \oplus d_{1,5}^3 = q_{1,5}^5$ .

# Update Cost Functions in RAIDX(M)/Y(N)

RAID5/RAID 6 with  $\delta = 0/1$  respectively.

$$C_{R5R6}^{\text{write}} = (2 + \delta)D_{\text{RMW}}. \quad (1)$$

For MRAID5/5 we update the P parity at node level and Q parity at internode level (internode message).

$$C_{R5R6F0}^{\text{write}} = 4D_{\text{RMW}} + D_{\text{T}}. \quad (2)$$

For MRAID5/6 we update the parity P and Q locally and parity S remotely. This requires the updating S parities.

$$C_{R5R6F0}^{\text{write}} = 5D_{\text{RMW}} + D_{\text{T}}. \quad (3)$$

For MRAID5/6 we update the parity P locally and parities Q and S remotely.

$$C_{R6R5F0}^{\text{write}} = 6D_{\text{RMW}} + 2D_{\text{T}}. \quad (4)$$

The cost function in degraded mode of operation can be expressed similarly.

# Further Work

- **Specification of alternative MRAID organizations**
- **Analytic/simulation studies of reliability and performance.**

**Questions and comments please!**

